

Big Data Analysis and Cross-Layer Optimization for Communication, Caching and Computing (C³) Networks

Zhu Han

ECE and CS Departments, University of Houston

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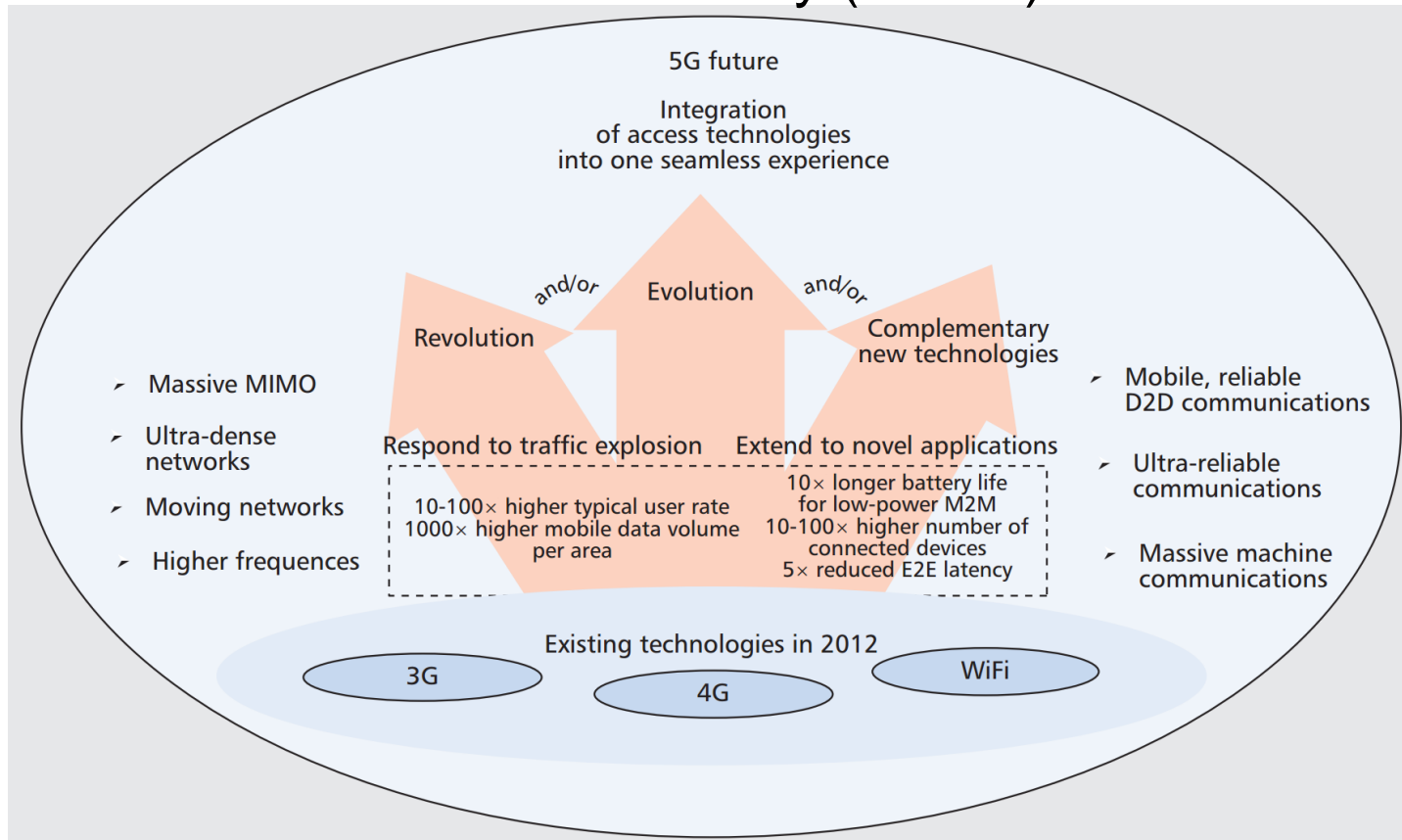
Thanks for NSF,

work by Ye Yu, Prof. Li Wang, Xunsheng Du and Kevin Tsai

- ❑ Introduction and Motivation for C³ Networks**
- ❑ Big Data Analysis and Cross Layer Optimization**
 - ❑ Wireless Network Function Virtualization**
 - ❑ Mobile Social Networks over D2D**
 - ❑ Deep Learning Analysis**
- ❑ Conclusions**

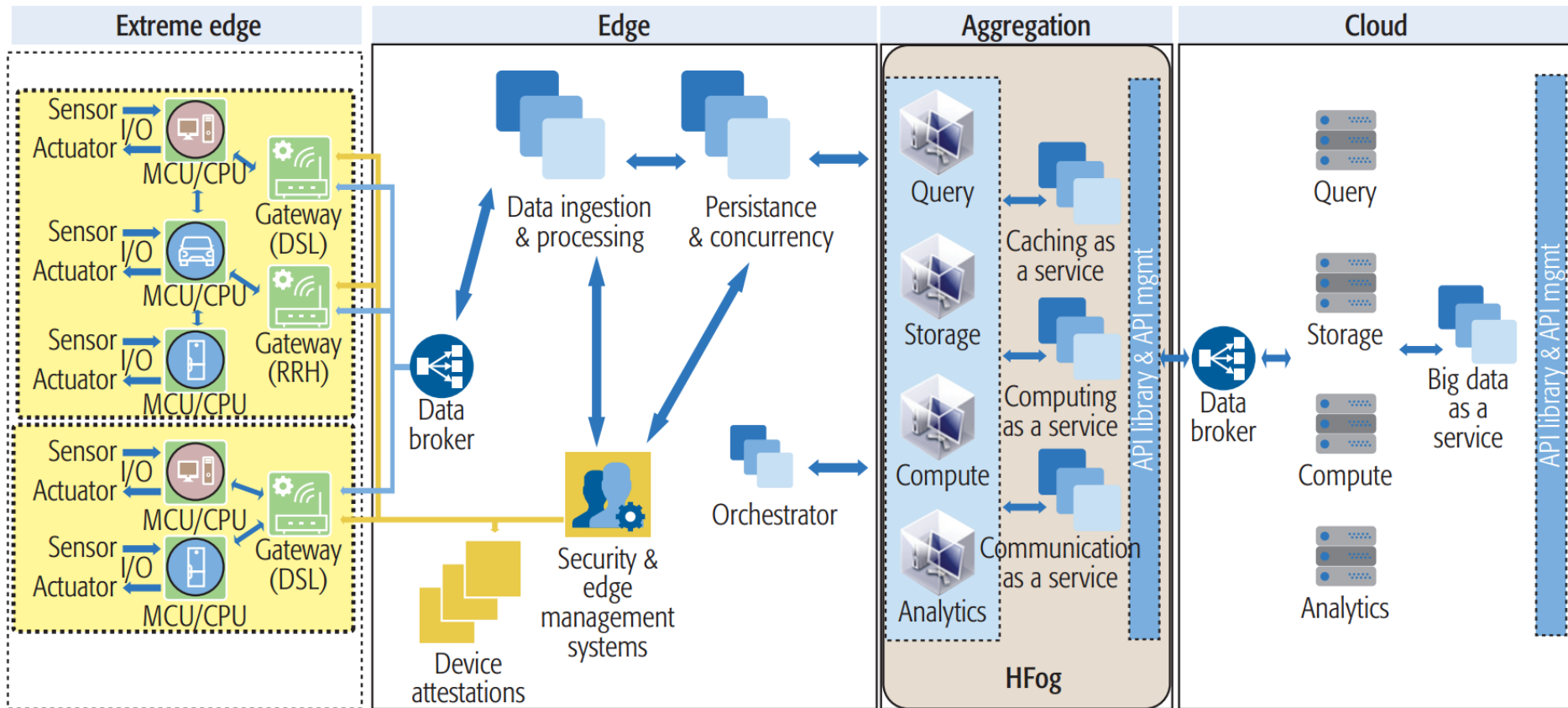
Future 5G Networks

1. Hyper-connected society
2. High data rates at the network edge (1–10 Gb/s)
3. Ultra low end-to-end latency (~1 ms).



* A. Osseiran et al., "Scenarios for 5G mobile and wireless communications: the vision of the METIS project," in IEEE Communications Magazine, vol. 52, no. 5, pp. 26-35, May 2014.

Communication, Caching and Computing

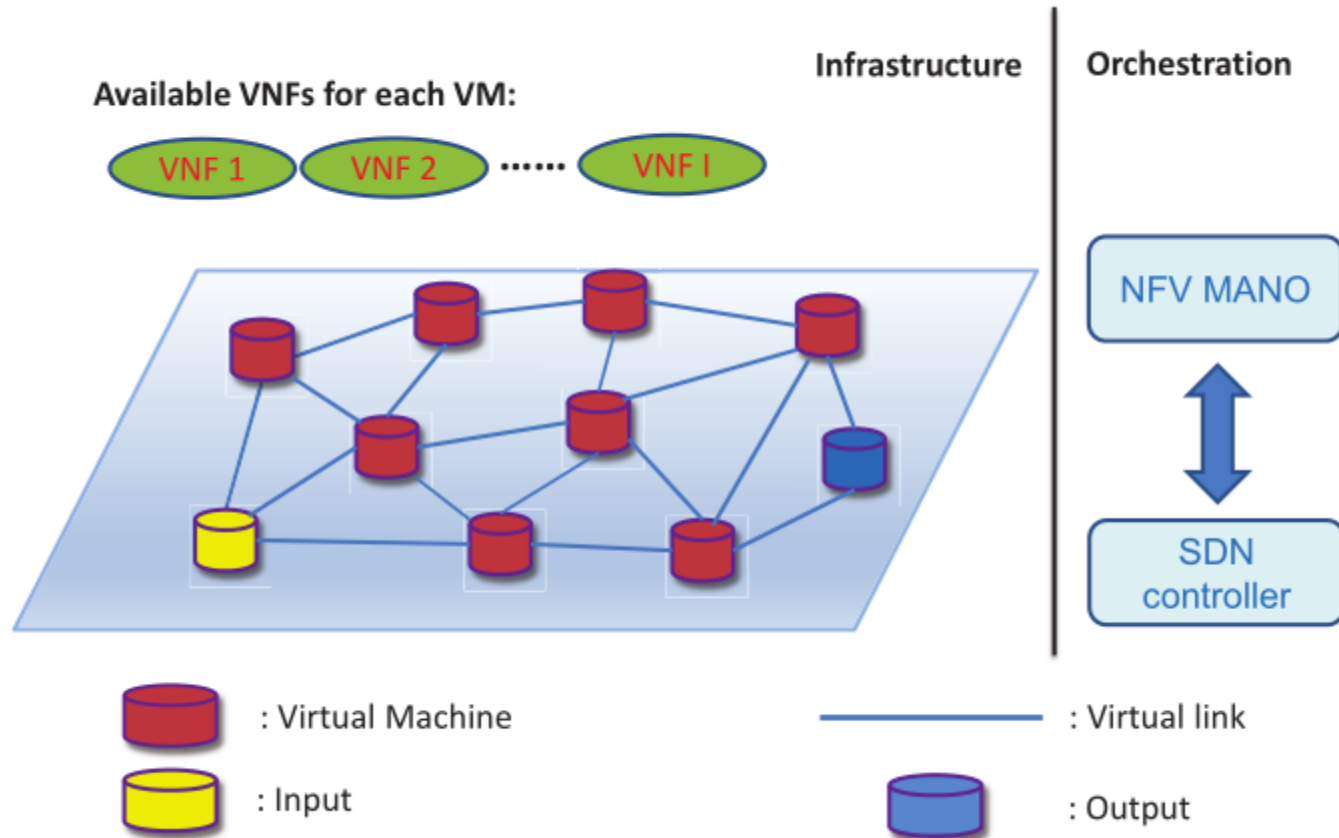


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Network (Function) Virtualization

Virtualize entire classes of network node functions into building blocks that may connect, or chain together, to create communication services



Advantages

Reduce Expenditure; Accelerate Time-to-Market; Deliver Agility and Flexibility

Problem Formulation Example

$$\delta_{n,k}^m = \begin{cases} 1, & \text{if } f_k^m \text{ is implemented on VM } n \\ 0, & \text{otherwise.} \end{cases}$$

number of the
instances:

$$e_k^m = \sum_{n=1}^N \delta_{n,k}^m.$$

VNF placement cost:

$$Q_p = \sum_{k=1}^K e_k^m \xi_k^m,$$

Traffic cost:

$$Q_t = \sum_{k=1}^K \gamma_k \sum_{n=1}^N v_{n,k}^m,$$

Total cost function:

$$Q_{total} = Q_p + Q_t$$

Variables: $\delta_{n,k}^m$ (Integer)

$v_{n,k}^m$ (continuous)

$$\min_{\delta^{m(l)} \mathbf{v}^{m,(l)}} Q_{total}$$

$$\text{s.t. } 1 \leq \sum_{n=1}^N \delta_{n,k}^m \leq N \quad \forall k, m,$$

VNF
number

$$\sum_{k=1}^K \delta_{n,k}^m v_{n,k}^m \phi_k \leq C_n \quad \forall n, m,$$

VM's
capacity

$$\sum_{n=1}^N v_{n,k}^m \geq R_k \quad \forall k,$$

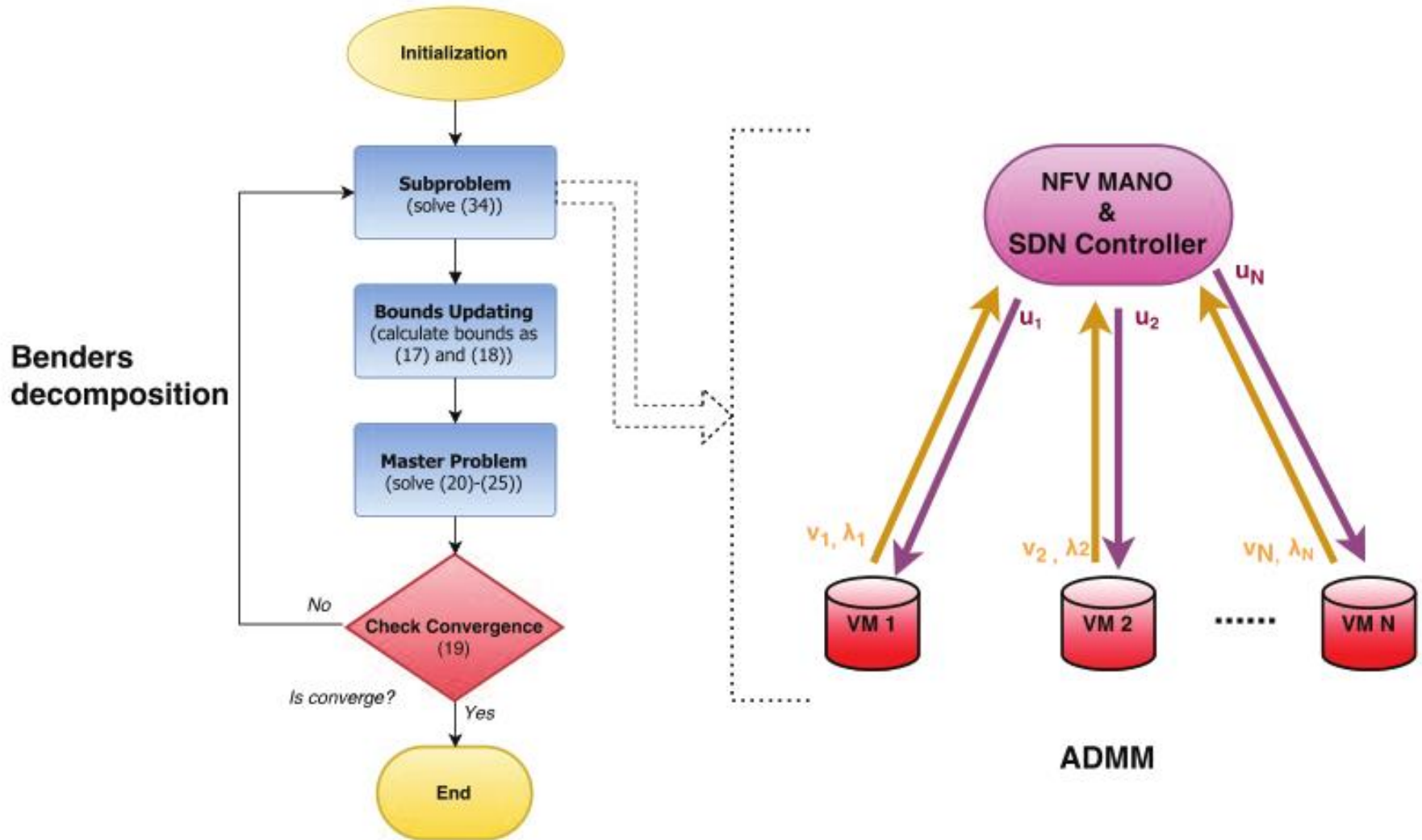
Data rate
requirement

$$\mu_{f_k} \leq \frac{\sum_{n=1}^N v_{n,k+1}^m}{\sum_{n=1}^N v_{n,k}^m} \quad \forall k,$$

Streaming
constraint

$$\delta_{n,k}^m \in \{0, 1\} \quad \forall m, n, k.$$

Proposed Algorithm



Benders Decomposition

- General MILP

$$\begin{array}{ll} \text{minimize} & \sum_{i=1}^n c_i x_i + \sum_{j=1}^m d_j y_j \\ & x_1, \dots, x_n; y_1, \dots, y_m \end{array}$$

subject to

$$\sum_{i=1}^n a_{\ell i} x_i + \sum_{j=1}^m e_{\ell j} y_j = b_{\ell}; \quad \ell = 1, \dots, q$$

$$x_i^{\text{down}} \leq x_i \leq x_i^{\text{up}}, \quad x_i \in \mathbb{N}; \quad i = 1, \dots, n$$

$$y_j^{\text{down}} \leq y_j \leq y_j^{\text{up}}, \quad y_j \in \mathbb{R}; \quad j = 1, \dots, m .$$

Benders Decomposition

Step 0: Initialization. Initialize the iteration counter, $\nu = 1$, and let

$$x_i^{(\nu)} = \begin{cases} x_i^{\text{down}} & \text{if } c_i \geq 0 \\ x_i^{\text{up}} & \text{if } c_i < 0 \end{cases}$$

$$\alpha^{(\nu)} = \alpha^{\text{down}}$$

Step 1: Subproblem solution. Solve the LP subproblem

$$\begin{array}{ll} \text{minimize} & \sum_{j=1}^m d_j y_j \\ & y_1, \dots, y_m \end{array}$$

subject to

$$\begin{aligned} \sum_{j=1}^m e_{\ell j} y_j &= b_{\ell} - \sum_{i=1}^n a_{\ell i} x_i; \quad \ell = 1, \dots, q \\ y_j^{\text{down}} &\leq y_j \leq y_j^{\text{up}}, \quad y_j \in \mathbb{R}; \quad j = 1, \dots, m \\ x_i &= x_i^{(\nu)} : \quad \lambda_i; \quad i = 1, \dots, n. \end{aligned}$$

The solution of this problem is $y_1^{(\nu)}, \dots, y_m^{(\nu)}$ with dual variable values $\lambda_1^{(\nu)}, \dots, \lambda_n^{(\nu)}$.

Benders Decomposition

Step 2: Convergence checking. Compute upper and lower bounds of the optimal value of the objective function of the original problem

$$z_{\text{up}}^{(\nu)} = \sum_{i=1}^n c_i x_i^{(\nu)} + \sum_{j=1}^m d_j y_j^{(\nu)}$$

$$z_{\text{down}}^{(\nu)} = \sum_{i=1}^n c_i x_i^{(\nu)} + \alpha^{(\nu)} .$$

If $z_{\text{up}}^{(\nu)} - z_{\text{down}}^{(\nu)}$ is smaller than a pre-specified tolerance, stop, the optimal solution is $x_1^{(\nu)}, \dots, x_n^{(\nu)}$ and $y_1^{(\nu)}, \dots, y_m^{(\nu)}$. Otherwise, the algorithm continues with the next step.

Benders Decomposition

Step 3: Master problem solution. Update the iteration counter, $\nu \leftarrow \nu + 1$.
Solve the MILP master problem

$$\begin{array}{ll} \text{minimize} & \sum_{i=1}^n c_i x_i + \alpha \\ & x_1, \dots, x_n, \alpha \end{array}$$

subject to

$$\alpha \geq \sum_{j=1}^m d_j y_j^{(k)} + \sum_{i=1}^n \lambda_i^{(k)} (x_i - x_i^{(k)}); \quad k = 1, \dots, \nu - 1$$

Benders
cut

$$x_i^{\text{down}} \leq x_i \leq x_i^{\text{up}}, \quad x_i \in \mathbb{N}; \quad i = 1, \dots, n$$

$$\alpha \geq \alpha^{\text{down}}.$$

The solution of this problem is $x_1^{(\nu)}, \dots, x_n^{(\nu)}$ and $\alpha^{(\nu)}$. The algorithm continues with Step 1. □

Alternating Direction Method of Multipliers (ADMM) to solve subproblems

$$\begin{array}{ll} \min & f(x) + g(z) \\ \text{s.t.} & Ax + Bz = c. \end{array}$$

Augmented Lagrangian function

$$\mathcal{L}(x, z, \lambda) = f(x) + g(z) + \lambda^T (Ax + Bz - c) + \frac{\rho}{2} \|Ax + Bz - c\|^2$$

Iterative procedure to solve an optimization problem using ADMM

$$x[t+1] := \arg \min_x \mathcal{L}(x, z[t], \lambda[t]),$$

California
government

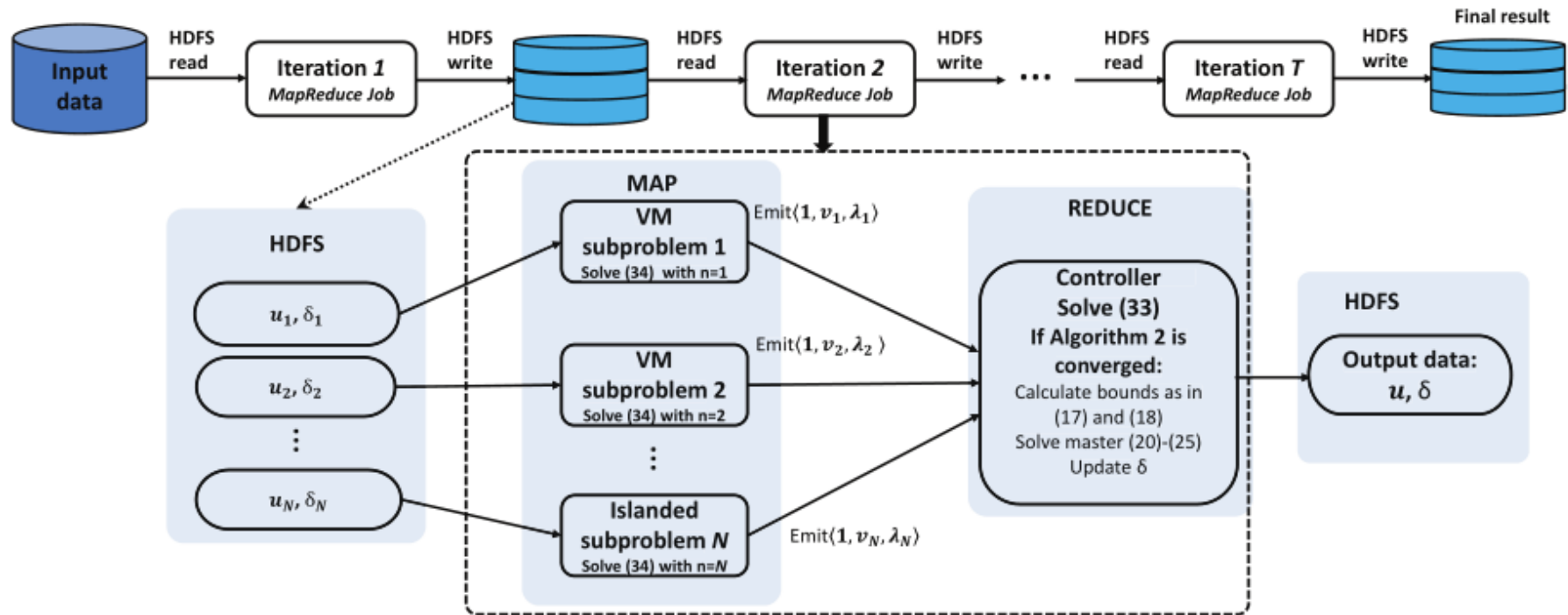
$$z[t+1] := \arg \min_z \mathcal{L}(x[t+1], z, \lambda[t]),$$

Texas
government

$$\lambda[t+1] := \lambda[t] + \rho (Ax[t+1] + Bz[t+1] - c),$$

US
Congress

Implementation using Hadoop MapReduce



Simulation Results

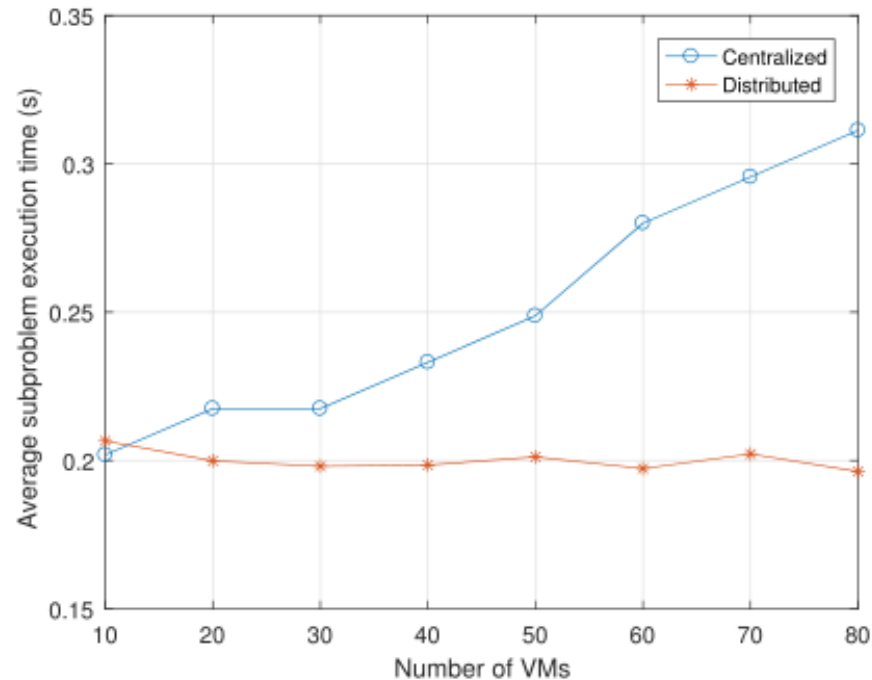


Fig. 9: The average execution time of subproblem versus number of VMs

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D2D Communication

- Device-to-Device (D2D) Communications/**Sidelink**
 - Technology that enables devices to connect directly without relying on infrastructure of access points or base stations.

- ① Increase network capacity
- ② Extend (edge) coverage
- ③ Offload data
- ④ Improve energy efficiency
- ⑤ Create new applications

licensed (Inband) spectrum

- **Underlay** vs. Overlay
- UpLink vs. DownLink
- Mode Selection (D2D mode vs. Cellular Mode)

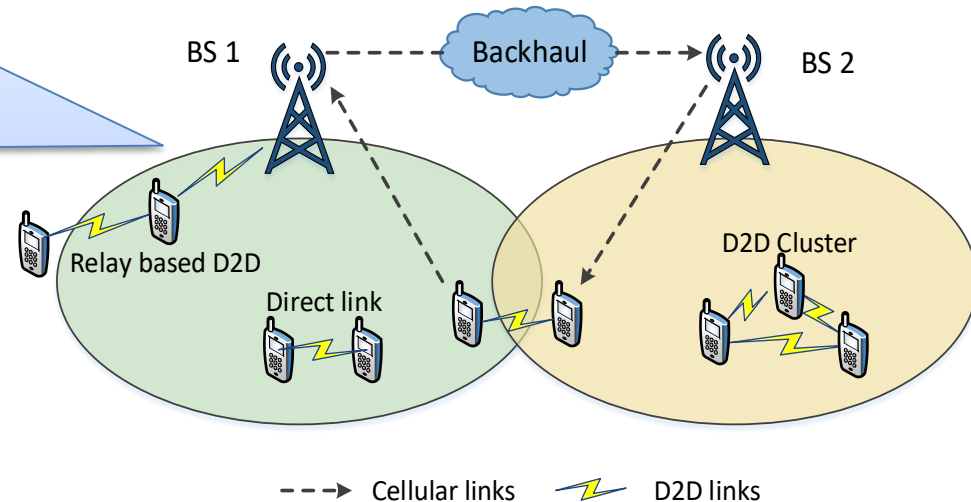


Figure: Scenario of D2D Communications




TS36.300 v12 (2015.02)

section 23.10 for D2D Communications

section 23.11 for D2D Discovery (proximity detection for commercial services)

TS36.211 v12 (2015.10)

section 9: a sidelink is used for ProSe direct communication and ProSe direct discovery between UEs. (ProSe – Proximity Services)

- Imminent wireless capacity crunch
 - Smartphones with larger storage and higher computing capability
 - Mobile social platforms, e.g.,
 - Virtual and Social Community
 - Social tie (family members, club members...)
 - Social relationship with common interest
 - Social interactions
 - Continuous (uninterrupted) wireless connection
 - File sharing & Online gaming & Video dissemination
- D2D---exploit benefits from social networking
 - in terms of **pairs and clusters**
 - to **offload** the increasing traffic from base stations (BSs)
 - to meet the **higher speed** demands for mobile users

Wireless Distributed Storage Systems

➤ Wireless distributed storage:

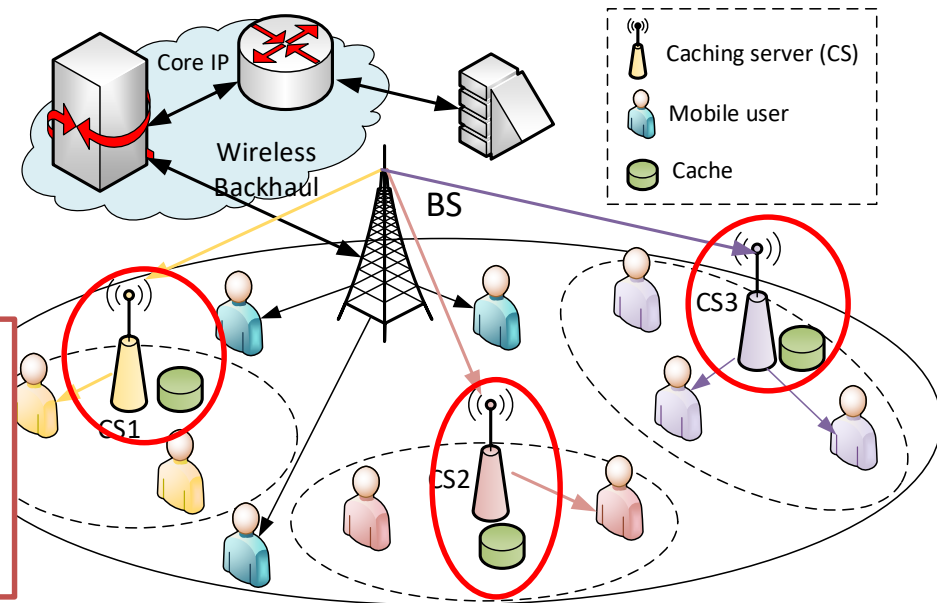
- Store the popular content files **at the BS/mobile devices** during **off-hours** to improve the end-to-end performance and **reduce backhaul loading** at peak-hours

➤ Benefits of wireless storage:

- Small BS of powerful user nodes
- Capacity files can be received from the BS and stored in the cache
- Store in the cache for offloading
- Files from cache can be accessed by other users within its coverage at a later time

➤ Wireless caching schemes:

- **Coded caching** to create coded multicast opportunities
- **Proactive caching** to exploit both the spatial and social structure of the wireless networks
- **D2D caching networks** to reduce number of hops and balance load
- **Asymptotic scaling laws** in large wireless networks



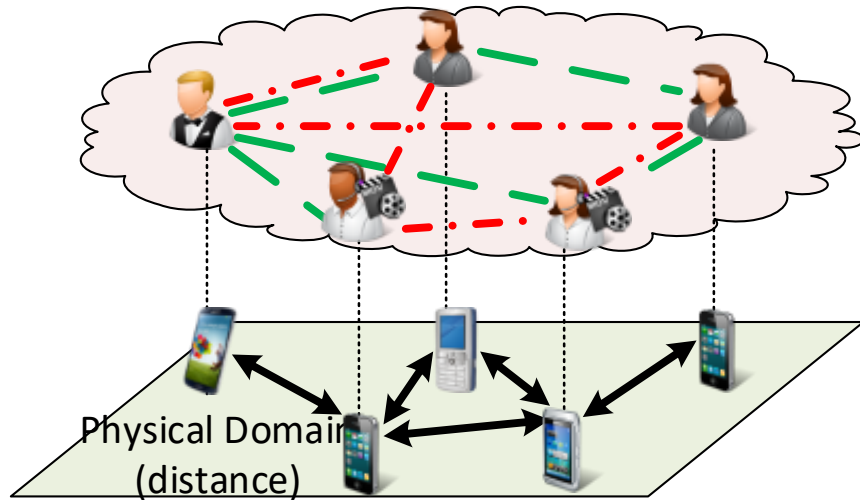
Focus:

In D2D-based wireless distributed storage systems, **resource allocation** and **content sharing** are investigated in different scenarios with different objective functions

D2D-Based Distributed Storage Systems

Content Sharing

Social, Interest and Cache Domain



Upper layer: Content sharing for D2D partners to form Links

Main considerations:

- Social relationship
- Interest similarity
- Physical proximity
- Caching capability
- Computing capability
- Content coding

Resource Sharing

Spectrum/ Resource Blocks



Lower layer: Resource sharing for CUE and D2D Links in D2D Underlay

Main considerations:

- Channel state information
- Power control
- Co-channel interference

Matching Game Definitions

Basic elements (**Stable Marriage (SM)**):

1. **Agents**: *A set of men, and a set of women;*
2. **Preference list**: *A sorted list of men/women based on her/his preferences;*
3. **Blocking pair (BP)** (m, w):
 - m prefers w to his current partner;
 - w prefers m to her current partner;
4. **Stable matching**: *A matching admit no BPs.*
5. **Gale-Shapley (GS) algorithm**: *find a stable matching in SM*

GS Algorithm



Adam



Bob



Carl



David

Geeta, Heiki, Irina, Fran

Irina, Fran, Heiki, Geeta

Geeta, Fran, Heiki, Irina

Irina, Heiki, Geeta, Fran

We reach a stable marriage!



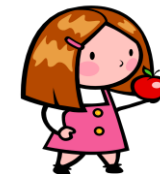
Fran



Geeta



Heiki



Irina

Carl > Adam

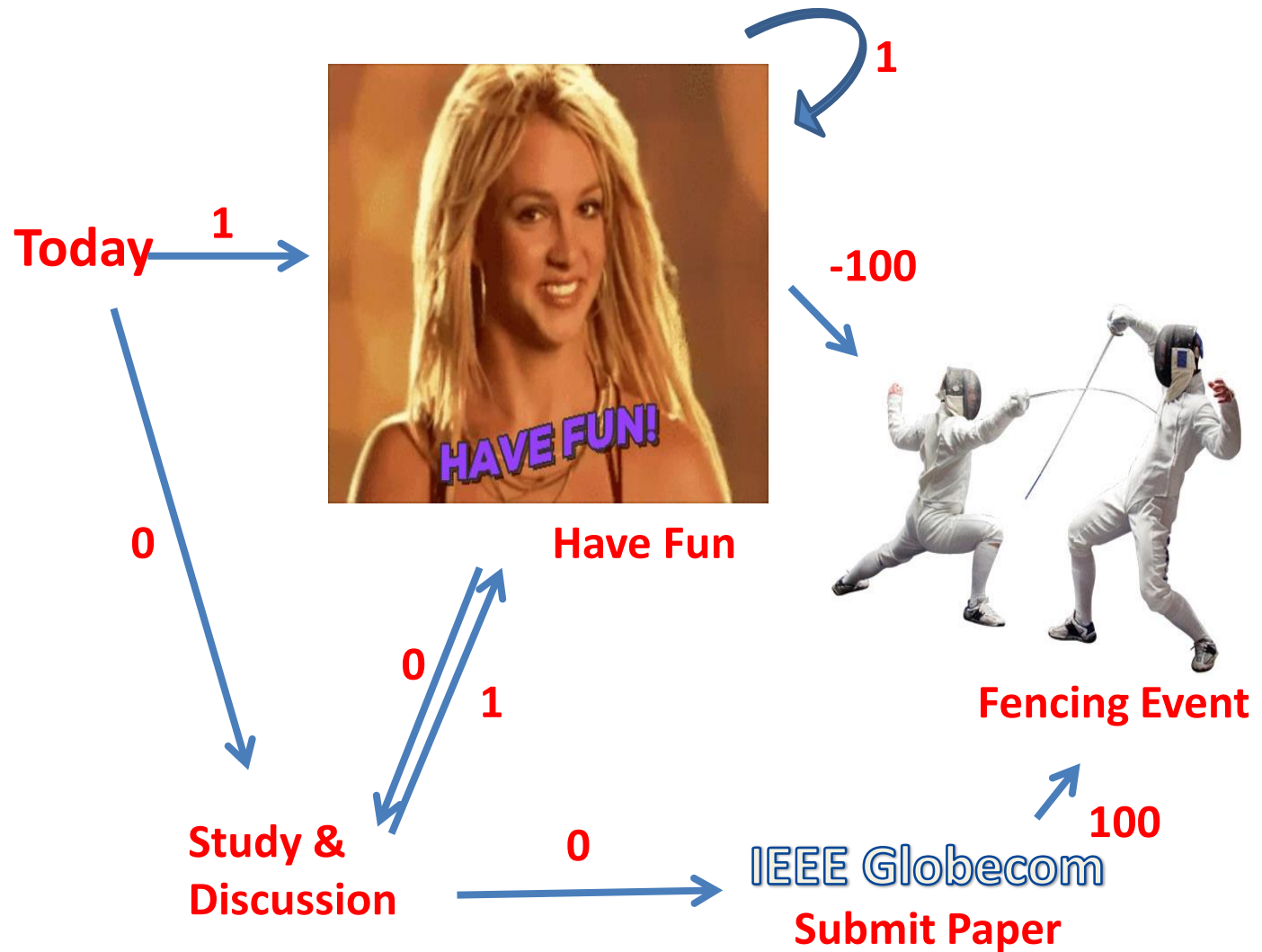
David > Bob

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Reinforcement Learning



An Example



Rewards

a: action

s: state

$R(s, a) =$

	Today	Study	Submit	Fun	Fencing
Today	-1	0	-1	1	-1
Study	-1	-1	0	1	-1
Submit	-1	-1	-1	-1	100
Fun	-1	1	-1	1	-100
Fencing	-1	-1	-1	-1	-1

$Q(s,a)$

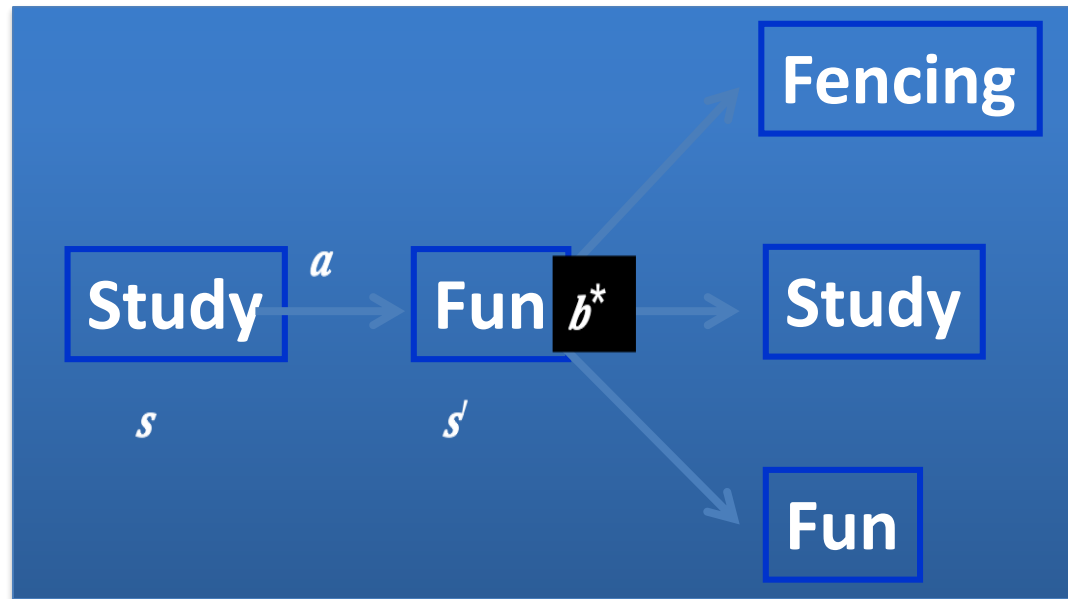
Initially set to zero

Q-Learning

Learning Rate

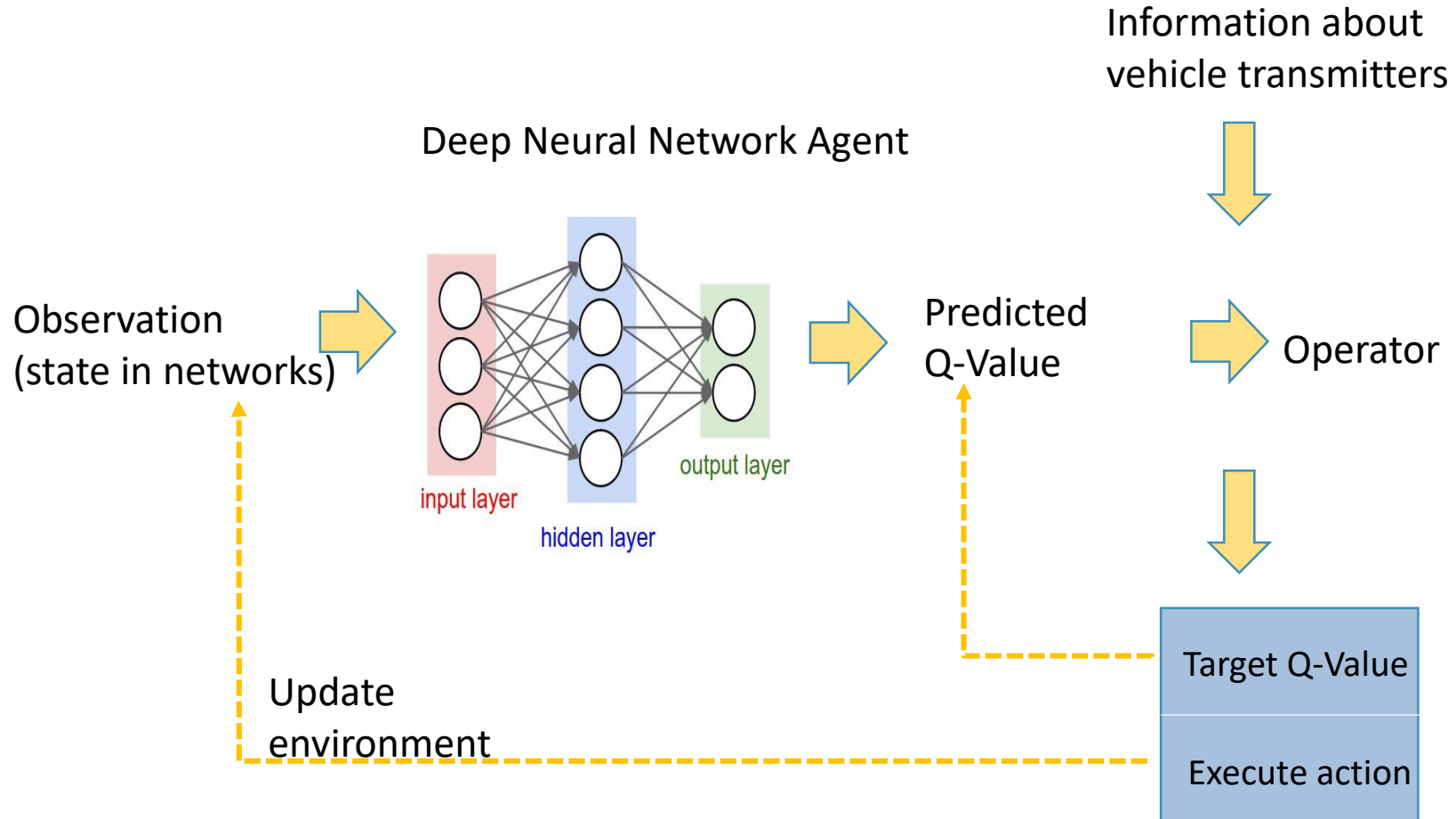
Discount Factor

$$Q_{t+1}(s, a) = (1 - \alpha_t)Q_t(s, a) + \alpha_t[R_t(s, a) + \beta \max_b Q_t(s', b)]$$





Deep Reinforcement Learning Framework



AlphaGo Zero beats AlphaGo beats Human

- Communication, Caching and Computing are potential solutions to achieve 5G
- Challenge is how to write utility to link them
- Scenarios vs. solutions
 - Network virtualization based on Benders decomposition and ADMM
 - Mobile social networks over D2D based on matching
 - Deep reinforcement learning
- Just a small peek on a new paradigm

Thank You!

Proposed Algorithm

Algorithm 1 NFV Resource allocation

- 1: Initialize: loop index l , $U_{\delta_n^m}$
- 2: **while** $Q_{up}^l - Q_{down}^l \geq \varepsilon$ **do**
- 3: **Subproblem**
- 4: acquire $\mathbf{v}^{m(l)}$ and $\boldsymbol{\theta}^m$
- 5: **Bounds calculation**
- 6: calculate upper and lower bounds
- 7: **Master problem**
- 8: step 1: update loop index $l = l + 1$
- 9: step 2: add new Benders cut to the problem (20)
- 10: step 3: solve the problem (20) to obtain the optimal value of δ^m and α
- 11: **end while**

$$\begin{aligned}
 & \min_{\delta^m, \alpha} \quad Q_p + \alpha \\
 & \text{s.t.} \quad 1 \leq \sum_{n=1}^N \delta_{n,k}^m \leq N \quad \forall k, m, \\
 & \quad Q_t(\mathbf{v}^{m,(j)}) + \boldsymbol{\theta}^{m,(j)}(\delta^m - \delta^{m,(j)}) \leq \alpha \quad j = 1, \dots, l-1, \\
 & \quad \sum_{k=1}^K \delta_{n,k}^m v_{n,k}^m \phi_k \leq C_n \quad \forall n, m, \\
 & \quad \alpha \geq \alpha^{down} \\
 & \quad \delta_{n,k}^m \in \{0, 1\} \quad \forall m, n, k,
 \end{aligned}$$

Proposed Algorithm

- Transformation of subproblem

$$\begin{aligned}
 & \min_{\mathbf{v}^m} Q_t \\
 & \text{s.t.} \quad \sum_{k=1}^K \delta_{n,k}^m v_{n,k}^m \phi_k \leq C_n \quad \forall n, m, \\
 & \quad \sum_{n=1}^N v_{n,k}^m \geq R_k \quad \forall k, \\
 & \quad \mu_{f_k} \leq \frac{\sum_{n=1}^N v_{n,k+1}^m}{\sum_{n=1}^N v_{n,k}^m} \quad \forall k, \\
 & \quad \delta_{n,k}^m = \delta_{n,k}^{m,(l)} : \theta_{n,k}^{m,(l)} \quad \forall m, n, k.
 \end{aligned}$$

→

$$\begin{aligned}
 & \min_{\mathbf{v}^m} Q_t \\
 & \text{s.t.} \quad \sum_{k=1}^K \delta_{n,k}^m v_{n,k}^m \phi_k \leq C_n \quad \forall n, m, \\
 & \quad \sum_{n=1}^N u_{n,k}^m \geq R_k \quad \forall k, \\
 & \quad \mu_{f_k} \sum_{n=1}^N u_{n,k}^m - \sum_{n=1}^N u_{n,k+1}^m \leq 0 \quad \forall k \\
 & \quad \delta_{n,k}^m = \delta_{n,k}^{m,(l)} : \theta_{n,k}^{m,(l)} \quad \forall m, n, k \\
 & \quad v_{n,k}^m = u_{n,k}^m \quad \forall n, k.
 \end{aligned}$$

Global copy
variable

Proposed Algorithm

Algorithm 2 Distributed algorithm for the subproblem based on ADMM

```

1: Initialize:  $t, \lambda, \mathbf{v}$ 
2: while the stopping criterion is not satisfied do
3:   Controller update
4:   repeat
5:     wait
6:   until receive updated  $\lambda, \mathbf{v}$  from all  $N$  distributed VMs
7:     step 1: Solve the problem (44) and obtain the optimal solution  $\tilde{\mathbf{u}}$ 
8:     step 2: Then send  $\tilde{\mathbf{u}}$  to the VMs
9:     step 3: Update
10:    —————
11:    Each VM  $u$   $m$   $\mathbf{u}^m$   $\mathbf{u}^m$ 
12:    repeat
13:      wait
14:    until receive
15:      step 1: So
16:      step 2: Up
17:       $\lambda$ 
18:      step 3: Se
19:    end while

```

$$\min_{\mathbf{v}^{m,(t)}} \sum_{k=1}^K \gamma_k v_{n,k}^m + \sum_{k=1}^K \lambda_{n,k} + \frac{\rho}{2} \sum_{k=1}^K \|v_{n,k}^m - \tilde{u}_{n,k}^m\|_2^2 \quad (45)$$

$$\text{s.t.} \quad \sum_{k=1}^K \delta_{n,k}^m v_{n,k}^m \phi_k \leq C_n \quad \forall m.$$

$$\text{s.t.} \quad \sum_{n=1}^N u_{n,k}^m \geq R_k \quad \forall k,$$

$$\mu_{f_k} \sum_{n=1}^N u_{n,k}^m - \sum_{n=1}^N u_{n,k+1}^m \leq 0 \quad \forall k,$$

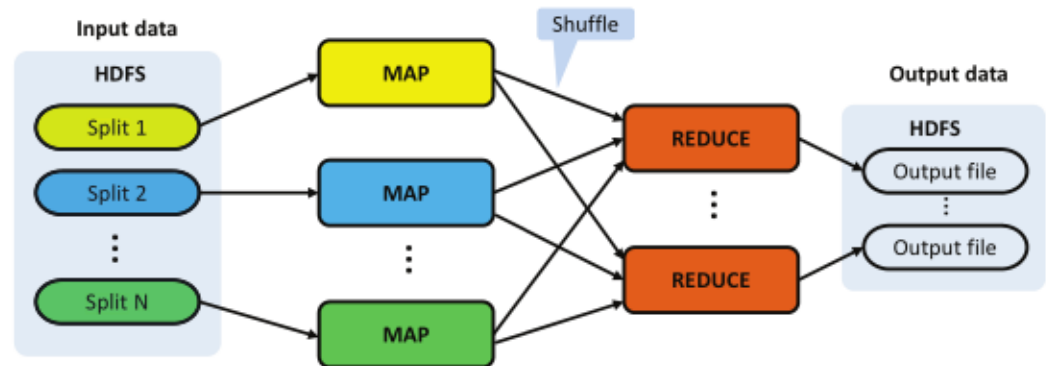
Implementation using Hadoop MapReduce

Algorithm 3 ADMM-based Bender decomposition using Hadoop MapReduce

```

1: function MAP(vm_ID, inputData)
2:   Load data of previous iteration from HDFS corresponding to vm_ID
3:   Solve subproblem corresponding to each VM in (45)
4:   Update  $\lambda_n$  using (46)
5:   EMIT  $\langle 1, \{v_n, \lambda_n\} \rangle$ 
6: end function
7:
8: function REDUCE(key, Data from Mappers)
9:   Concatenate  $\{v_n, \lambda_n\}$  from all VMs
10:  Solve controller subproblem (44) for  $u$ 
11:  if Algorithm 2 is converged then
12:    Calculate Upper bound and Lower bound as in (17) and (18)
13:    Solve master problem in (20)
14:    Update  $\delta$ 
15:  end if
16:  EMIT  $\langle \{u, \delta\} \rangle$ 
17: end function
18:
19: function MAIN(inputPath, outputPath)
20:   Initialization
21:   while  $Q_{up}^l - Q_{down}^l \geq \varepsilon$  do
22:     run MapReduceJob (inputPath, outputPath)
23:      $t \leftarrow t + 1$ 
24:   end while
25: end function

```



Simulation Results

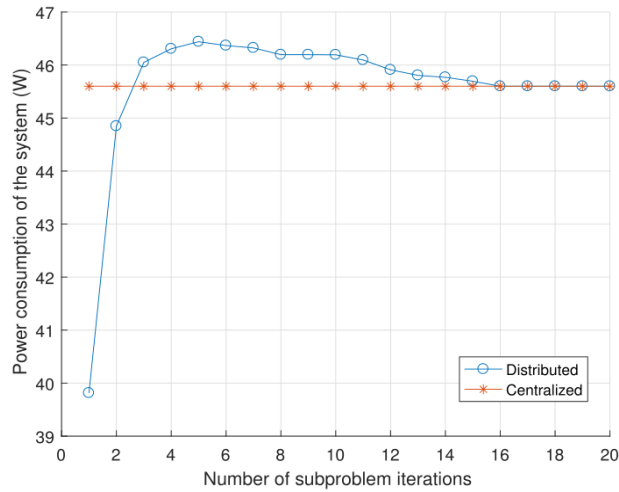


Fig. 6: The convergence performance of ADMM

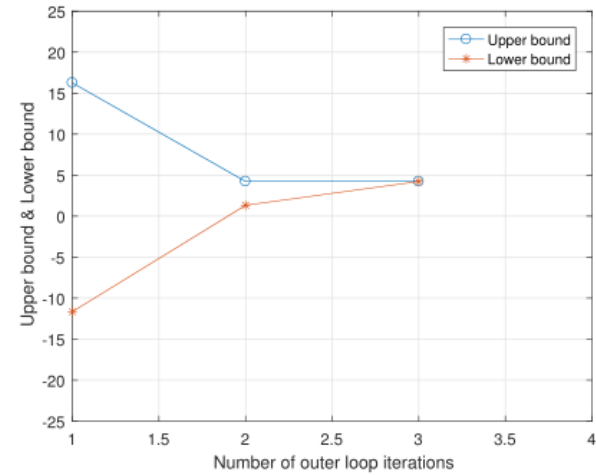


Fig. 7: The convergence performance of Benders decomposition